

DPG 2012
Mainz, Germany

23rd March 2012
HK 54.7

Monte Carlo event generators for PANDA

Manuel Zambrana

Institut für Kernphysik, University of Mainz / Helmholtz Institute Mainz



JOHANNES GUTENBERG
UNIVERSITÄT MAINZ



Helmholtz-Institut Mainz

OUTLINE

- **Introduction**

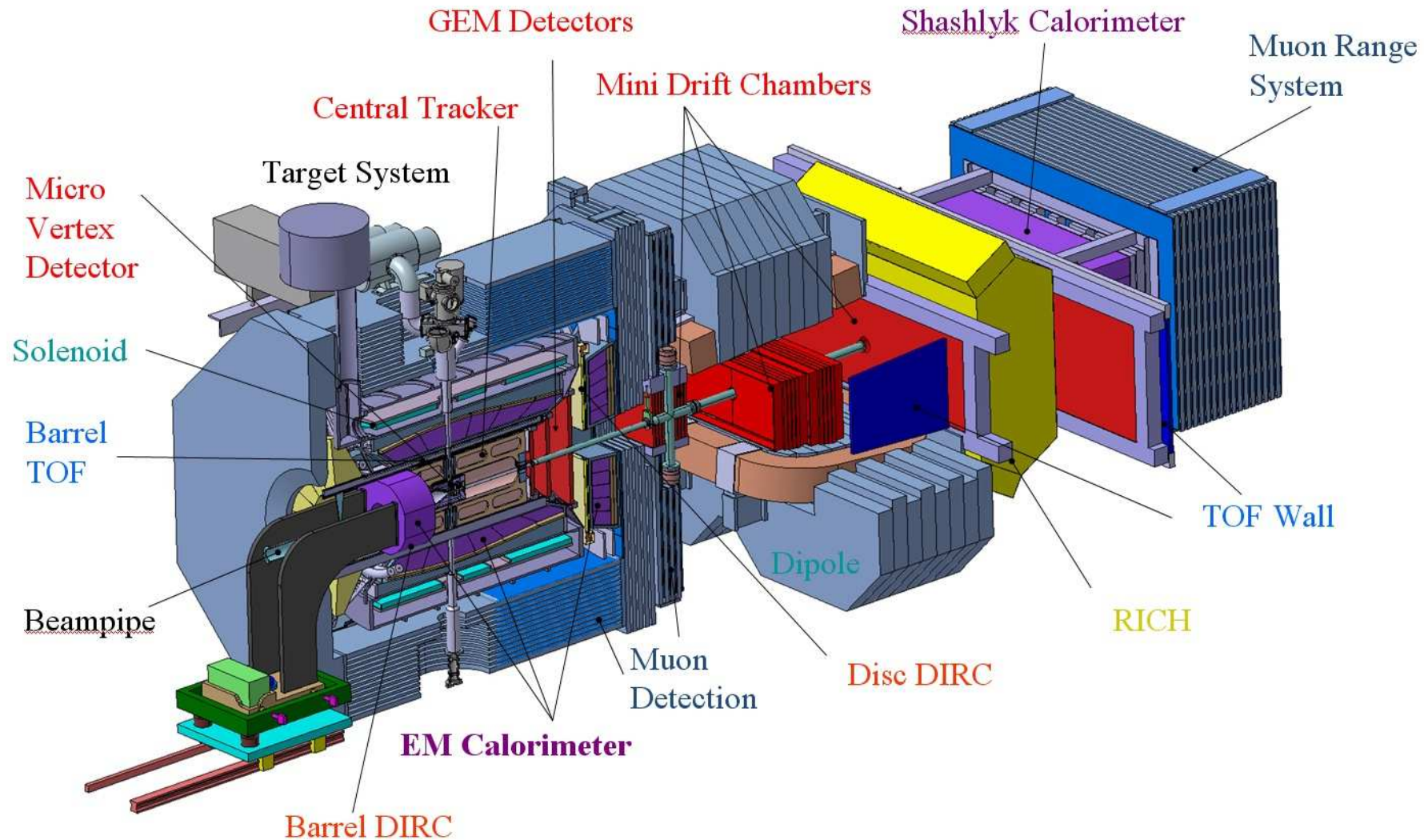
- the PANDA experiment
- the electromagnetic proton form factors
- goals

- **Generating distributions**

- $\bar{p}p \rightarrow e^+e^-$
- $\bar{p}p \rightarrow \pi^+\pi^-$
- $\bar{p}p \rightarrow e^+e^-\pi^0$

- **Summary and Conclusions**

The PANDA Experiment



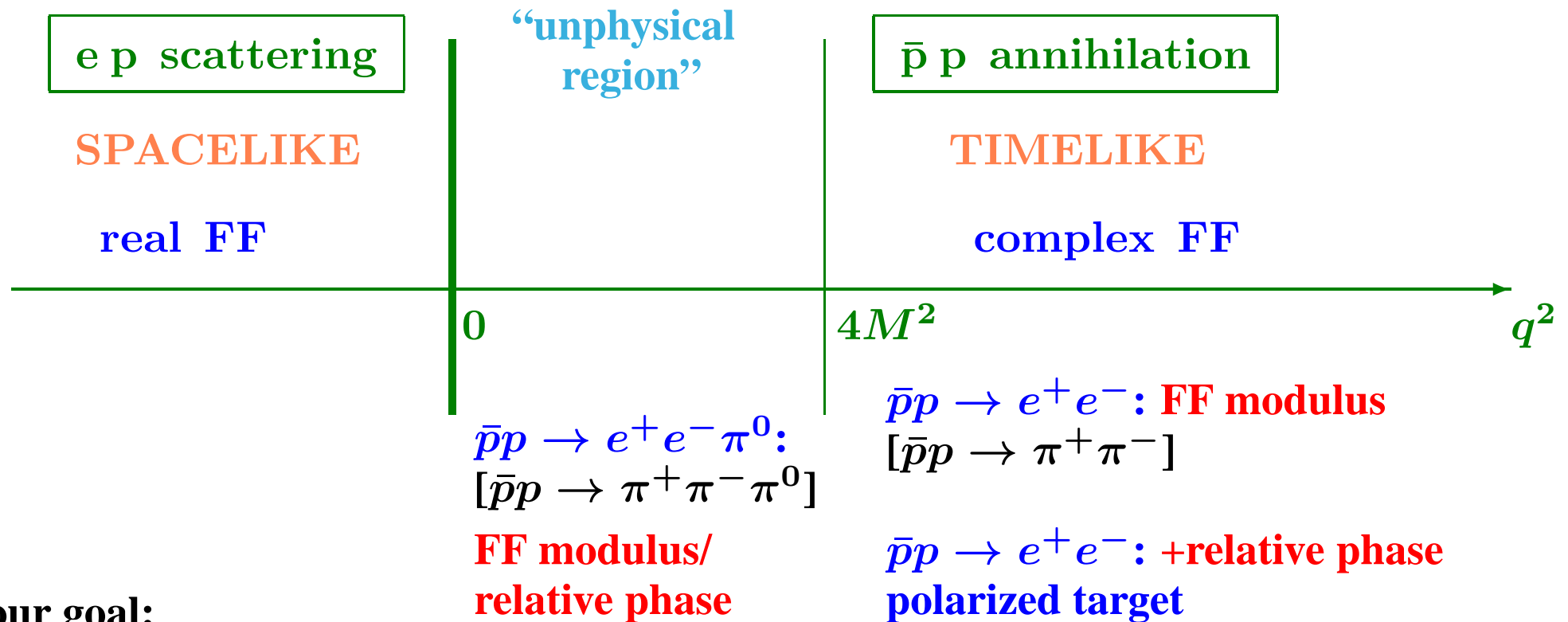
- **$\bar{p}p$ fixed target experiment** at the FAIR facility (GSI, Darmstadt)
 $1.5 < p(\bar{p}) < 15 \text{ GeV}$, data taking programmed for 2018
- **high performance:** high luminosity $L = 2 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$, good tracking/PID
- **wide physics program:** hadron spectroscopy (up to c-sector, exotics), hadron structure (**time-like form factors**, TPD), non-perturbative dynamics (**TDA**, spin), hypernuclei, etc.

The Electromagnetic Proton Form Factors

- parametrisation of the nucleon structure: G_E, G_M , (Sachs) / F_1, F_2 (Pauli-Dirac)

→ functions of the four-momentum transfer q^2

→ related by $G_M = F_1 + F_2$ and $G_E = F_1 + \tau F_2$, with $\tau = \frac{q^2}{4M^2}$



measure the timelike electromagnetic proton form factors with PANDA

feasibility \Rightarrow Monte Carlo development, detector simulation and data analysis studies

Generating distributions

The problem: generate distribution following $f(X)$, $X \in R \subset \mathbb{R}^n$

The simplest algorithm:

- find **upper bound** C to f in R , i.e. $f(X) < C \quad \forall X \in R$
- **uniform sampling** (X, h) in $R \times [0, C]$:
 - if $h < f(X)$, accept event (and fill histogram)
 - if $h > f(X)$, reject event
- iterate previous step until the desired statistics is reached

⇒ always work, but cumbersome in high dimension
improvements: importance sampling, etc.

In our case:

- worked well for $n = 1$ and $n = 2$, with reasonable rejection rates
- random number generator: **RANLUX^(*)**
 - widely used in lattice QCD Monte Carlo simulations
 - huge periods $\sim 10^{171}$, even at the lowest “luxury level”

(*) M. Luescher, Comp. Phys. Comm. 79 (1994) 100

$\bar{p}p \rightarrow e^+e^-$: Cross Section and Event Generator

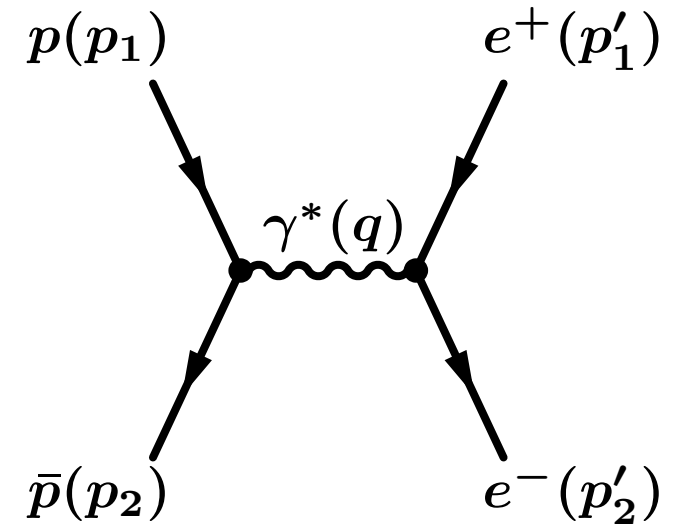
- **LO calculation (one-photon exchange approximation)**

A.Zichichi et al., Nuovo Cimento XXIV, 170 (1962)

- in $\bar{p}p$ CM frame, **cross section** given by

$$\frac{d\sigma}{d\cos\theta^*} \sim |G_M|^2(1 + \cos^2\theta^*) + \frac{1}{\tau}|G_E|^2(1 - \cos^2\theta^*)$$

$$\theta^* = \text{angle}(e^-, \bar{p}) \quad \tau = \frac{q^2}{4M^2}$$



→ **sensitive to $|G_E|$ and $|G_M|$** (with absolute normalization)

→ $q = p_1 + p_2 \Rightarrow$ **kinematic threshold $q^2 > 4M^2$**

Event Generator :

- in CM frame:

→ $E(e^+) = E(e^-) = \sqrt{s}/2$

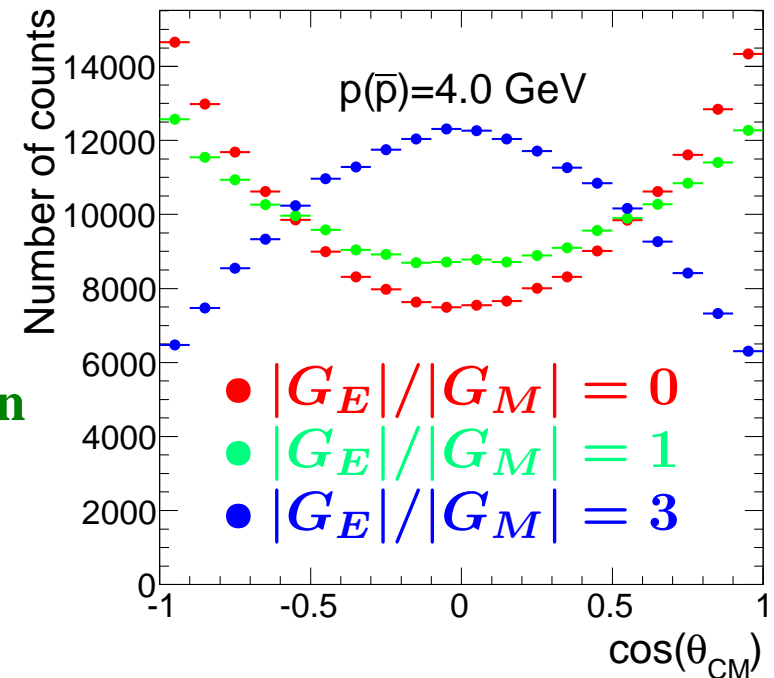
→ e^+ and e^- in “back to back” configuration

→ $\cos\theta^*$ distributed according to cross section
(naive **accept/reject algorithm**,

random number generator: **RANLUX**)

→ **azymuthal symmetry, i.e. ϕ^* uniform**

- boost event to LAB frame

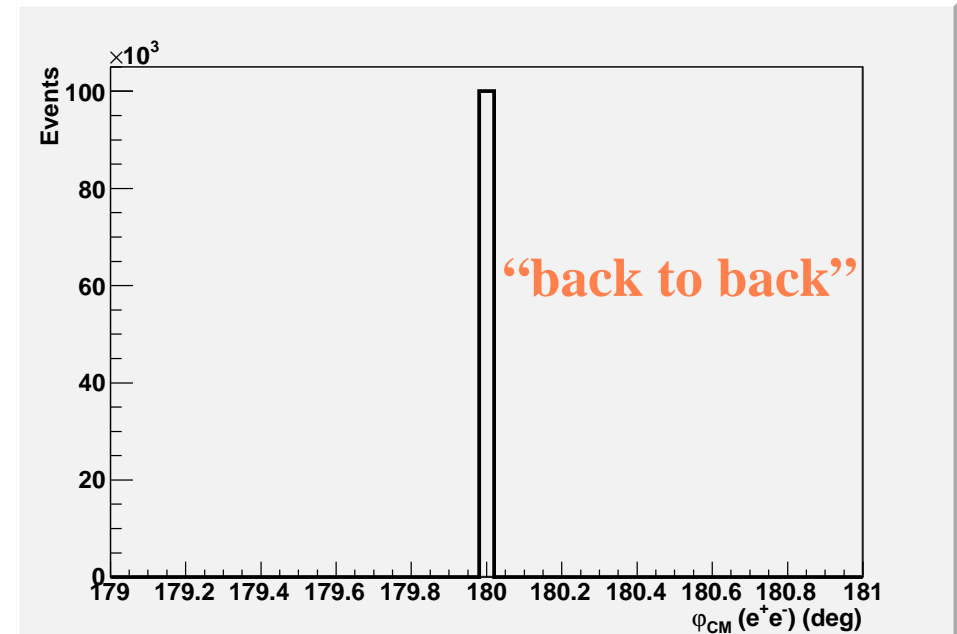
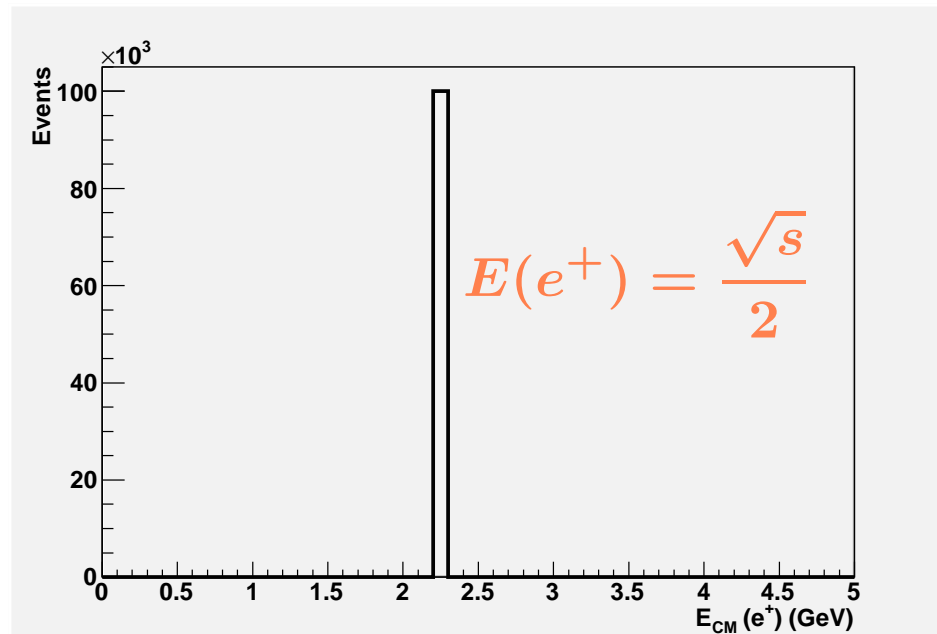
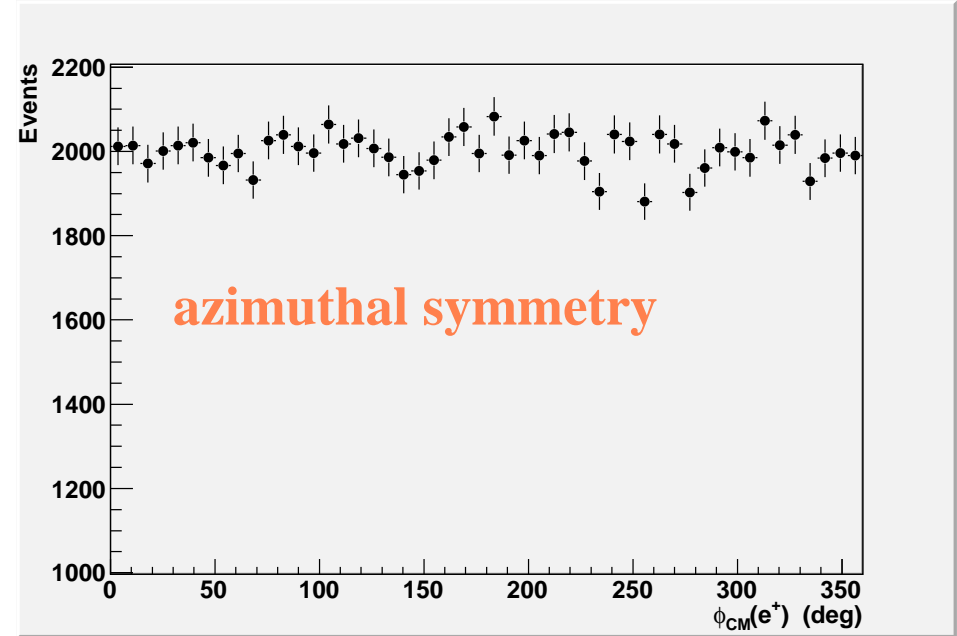
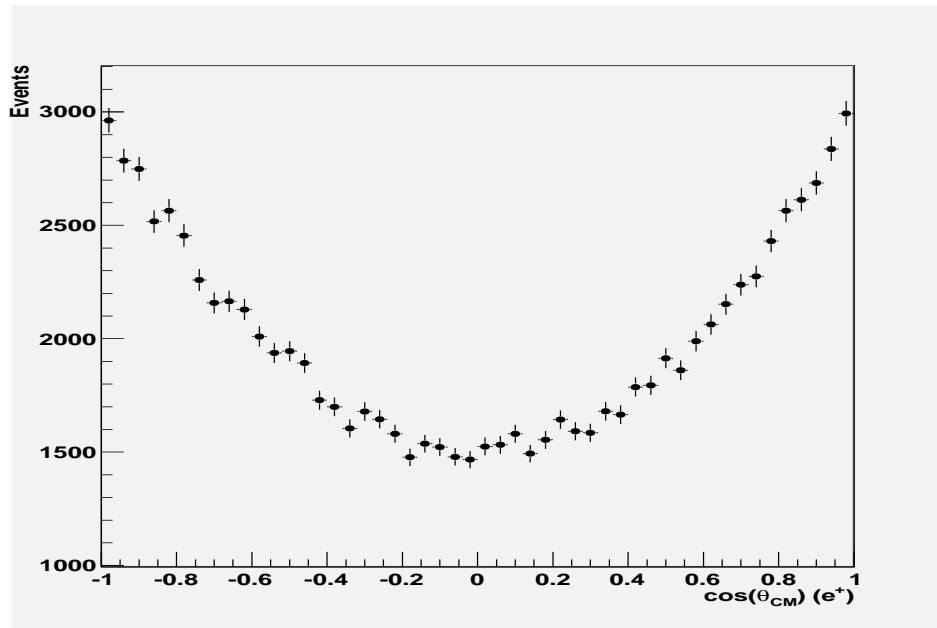


$\bar{p}p \rightarrow e^+e^-$: distributions in CM frame

$P = 4.0 \text{ GeV}$

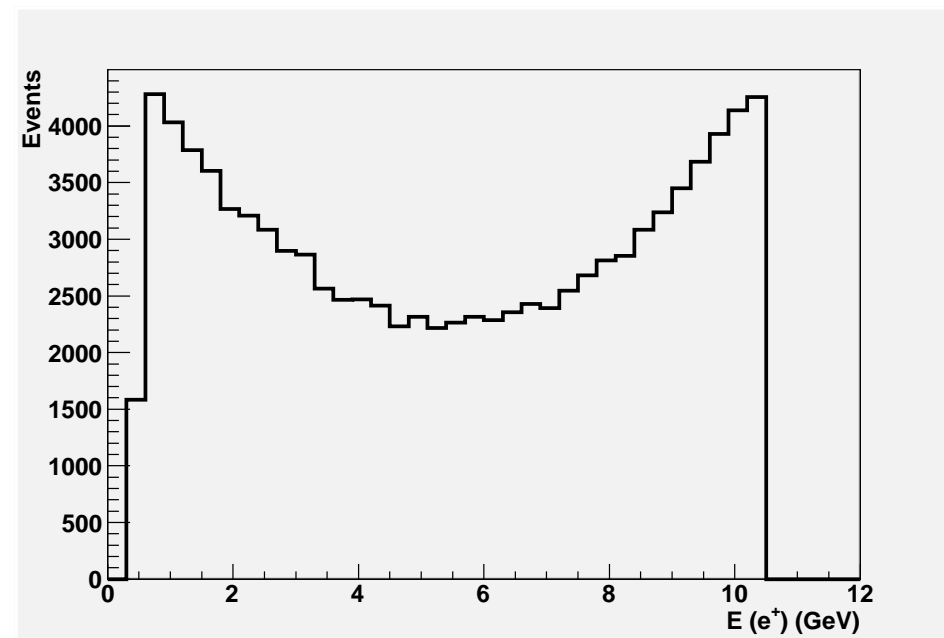
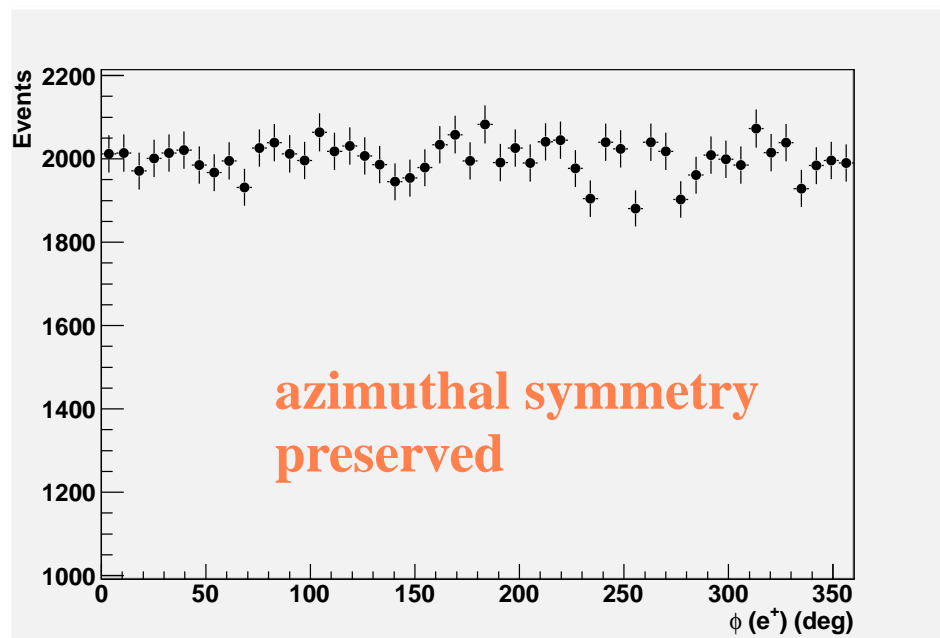
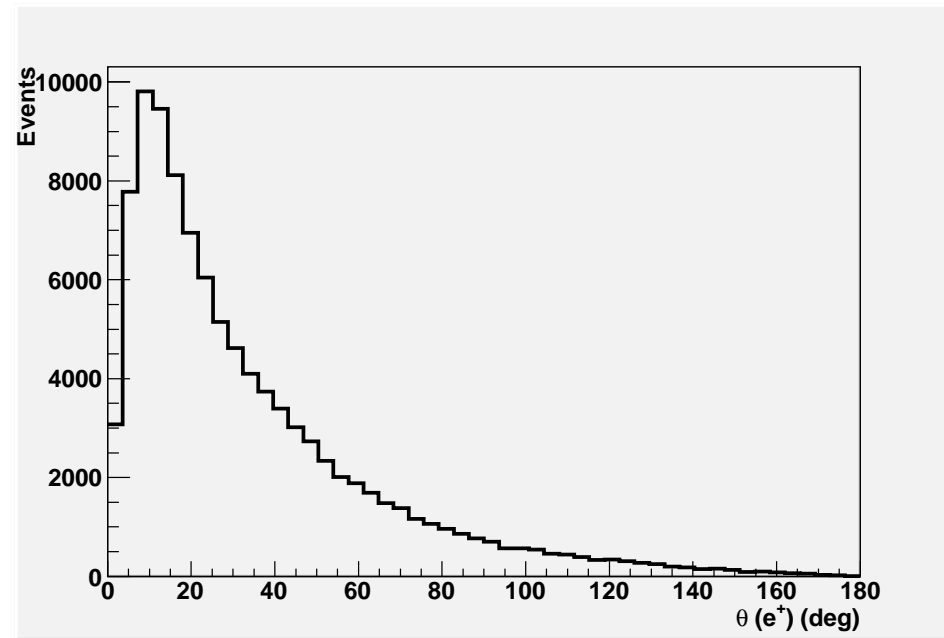
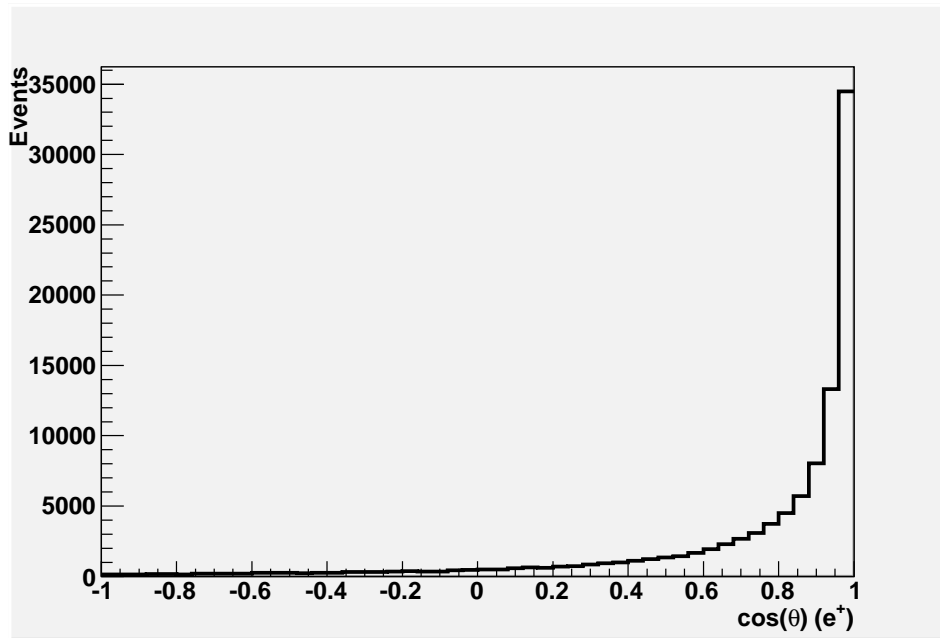
$|G_E|/|G_M| = 0$

$N = 10^5$ events



$\bar{p}p \rightarrow e^+e^-$: distributions in LAB frame

event boosted in the forward direction



$\bar{p}p \rightarrow \pi^+\pi^-$: Cross Section and Event Generator

low energy

transition region

high energy

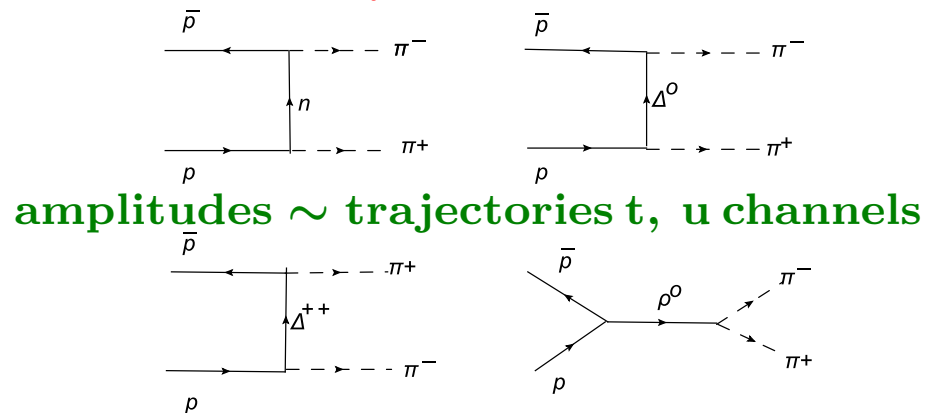
data : yes (ps) $\sim 6, 7$ no 9 yes (ps, ags) $s(\text{GeV}^2)$

model : polynomial fit \leftarrow interpolation \rightarrow Regge description

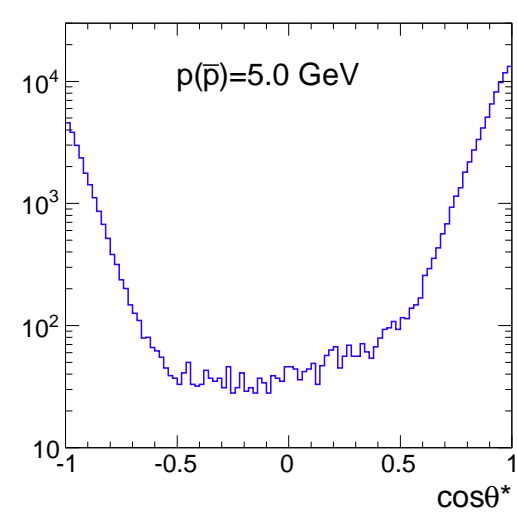
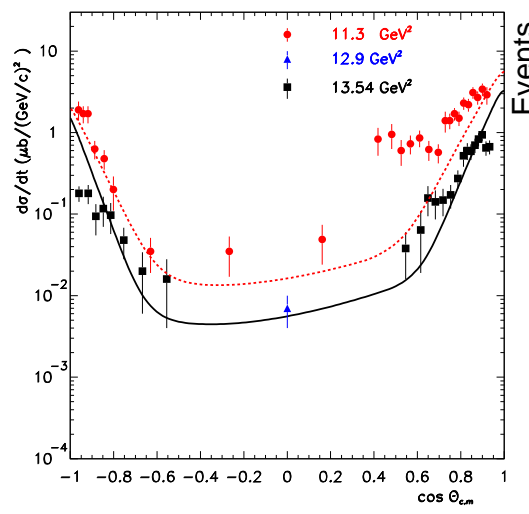
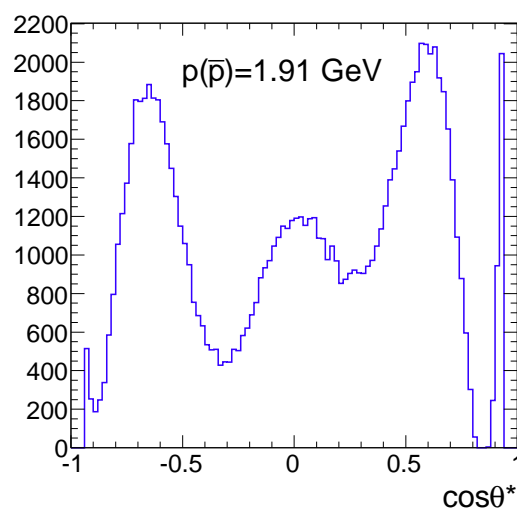
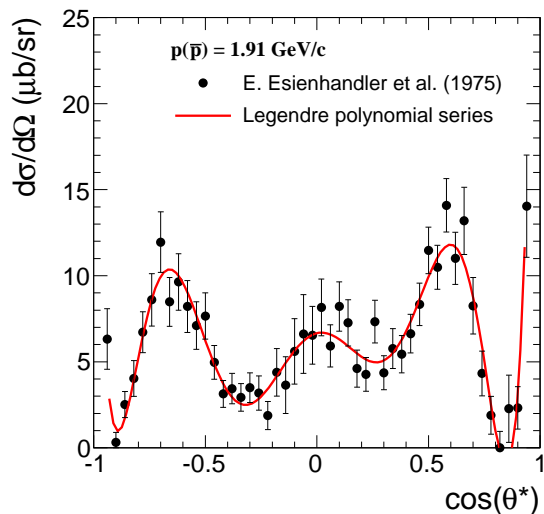
Eisenhandler et al.
Nucl. Phys. B96 (1975) 109

J. Van de Wiele and S. Ong
Eur. Phys. J. A46, 291 (2010)

$$\frac{d\sigma}{d\Omega} = \sum_{i=0}^{10} a_i P_i(\cos \theta^*)$$



kinematics : as in $\bar{p}p \rightarrow e^+e^-$, $m_e \rightarrow m_\pi$



$d\sigma(\pi^+\pi^-)/d\sigma(e^+e^-) \sim 10^6 \Rightarrow$ rejection factor 10^8 for 1% pion contamination

$\bar{p}p \rightarrow e^+e^-\pi^0$: Form Factors below Threshold

- **model: phenomenological approach based on Compton-like Feynman amplitudes**

C. Adamuscin et al., Phys. Rev. C 75, 04205 (2007)

- **sequence of two 2-body decays:**

$$\bar{p}p \rightarrow \gamma^* \pi^0, \gamma^* \rightarrow e^+e^-$$

kinematics :

part of the total initial four-momentum transferred to π^0

$$\Rightarrow 4m_e^2 < q^2 < q_{\max}^2; \quad q_{\max}^2 = (\sqrt{s} - m_\pi)^2$$

\Rightarrow region $4m_e^2 < q^2 < 4M^2$ becomes accesible

form factor parametrization : (off-shell effects neglected)

- (1) “perturbative QCD inspired” (pQCD)

$$|G_E| = |G_M| \sim \frac{1}{q^4 \left(\ln \left(\frac{q^2}{\Lambda^2} \right) + \pi^2 \right)}, \quad q^2 > \Lambda^2$$

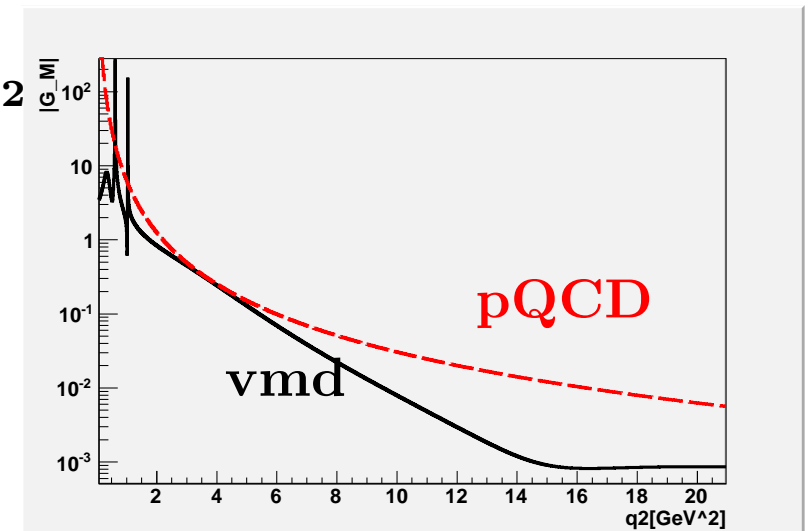
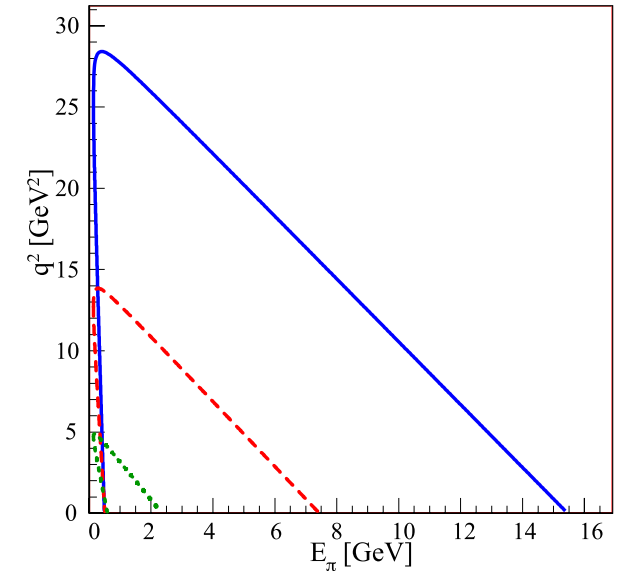
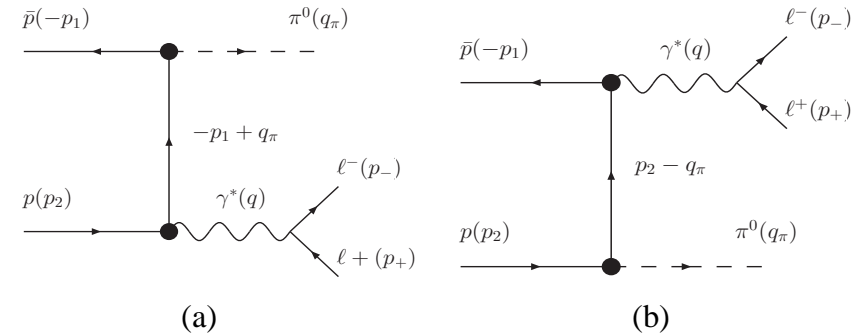
- (2) “vector meson dominance” (vmd)

F. Iachello et al., Phys. Rev. C69, 055204 (2004)

→ spacelike, analytically continued to timelike

→ contributions from (ρ, ω, ϕ) resonances,

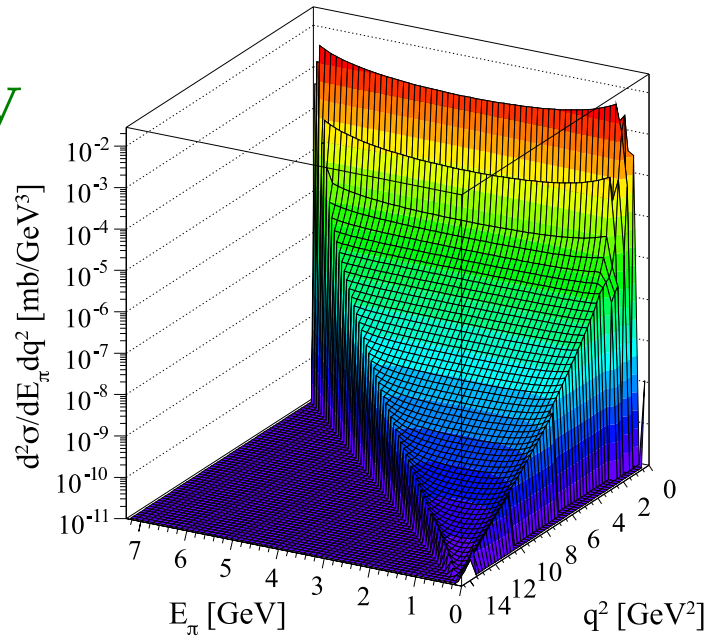
regularization



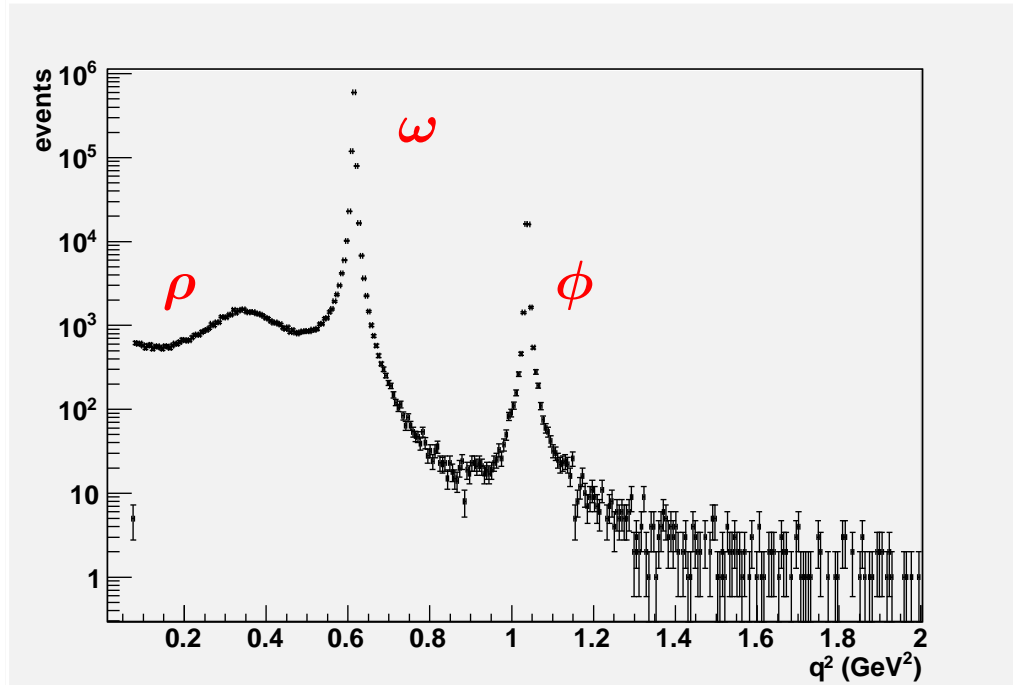
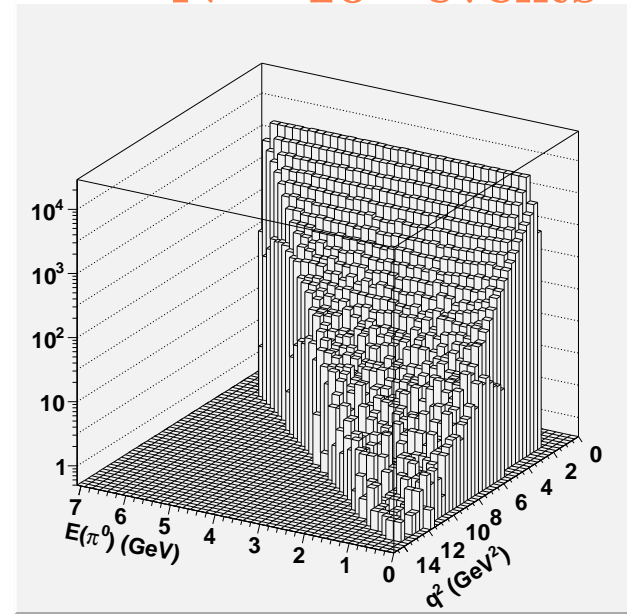
$\bar{p}p \rightarrow e^+e^-\pi^0$: Form Factors below Threshold

- cross section: integrated in leptonic phase space, preliminary MC generator developed

$E = 7$ GeV
vmd FF



$N = 10^6$ events



ongoing work:

calculation of full phase-space
(5-dim) cross section

⇒ possibility of accessing
FF relative phase
without polarization

C. Adamuscin and J. Guttman
(in preparation)

Summary and Conclusions

- **event generators developed for**

- i)* $\bar{p}p \rightarrow e^+e^-$

- ii)* $\bar{p}p \rightarrow \pi^+\pi^-$

- iii)* $\bar{p}p \rightarrow e^+e^-\pi^0$ (preliminary)

- **interfaced to PandaRoot**

- **code public and ready for simulations, documentation available**

ongoing work...

- simulation and data analysis (see Dmitry Khanef't's talk)

- calculation full differential cross section for $\bar{p}p \rightarrow e^+e^-\pi^0$
(J. Guttman, C. Adamuscin)

- more channels : $\bar{p}p \rightarrow e^+e^-\pi^0$ (TDA), $\bar{p}p \rightarrow \pi^+\pi^-\pi^0$, etc.

related talks :

- D. Khanef't, HK 1.5**

- M.C. Mora Espí, HK 8.9**

- Y. Ma, HK 8.7**

- B. Feher, HK 8.8**

- I. Zimmermann, HK 45.3**