

# Feasibility studies of proton electromagnetic form factors with the $\bar{P}$ ANDA detector

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# Outline

- 1 Monte Carlo Simulations
- 2 CPU/HDD usage
- 3 Selection criteria
- 4 Results of the simulations
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# Monte Carlo Simulations

Full MC simulation:

$$\bar{p}p \rightarrow e^+e^-$$

- $p(\bar{p}) = 1.7, 3.3, 6.4 \text{ GeV}/c$
- $G_E/G_M = 0.0, 1.0, 3.0$
- $N = 10^6$

$$\bar{p}p \rightarrow \pi^+\pi^-$$

- $p(\bar{p}) = 1.7, 3.3 \text{ GeV}/c$
- $N = 10^8$

## CPU/HDD usage per event

$p(\bar{p})[GeV/c]$		1.7	3.3	6.4
CPU [s]	sim	0.47	0.58	0.65
	digi	0.29	0.29	0.32
	reco	2.08	2.05	1.91
	pid	1.19	1.26	1.31
	total	4.03	4.18	4.19
HDD [kB]	sim	20.3	27.0	38.0
	digi	5.9	6.8	7.7
	reco	6.7	6.7	6.5
	pid	1.4	1.4	1.5
	par	0.4	0.4	0.4
	total	34.7	42.3	54.1

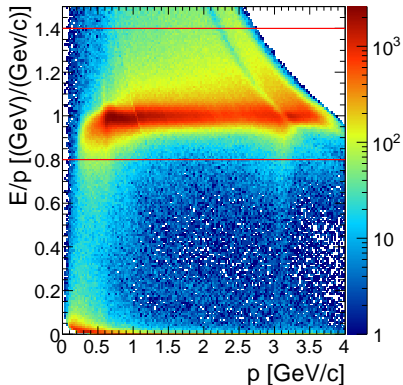
## Selection criteria for $e^+e^-$

- The event must have only one positive and one negative particle after reconstruction
- For both the positive and the negative particle in the  $\bar{p}p$  CM frame  
 $\sqrt{s}/2 - \lambda < E < \sqrt{s}/2 + \lambda$   
 where  $\lambda = 0.2(\sqrt{s}/2)$
- For both the positive and the negative particle,  $0.8 < E/p < 1.4$   
 [(GeV)/(GeV/c)]
- For both the positive and the negative particle,  $dE/dx_{STT} > 5.8$   
 [GeV/cm]
- Both the positive and the negative particle must fire more than 5 crystals in the EMC

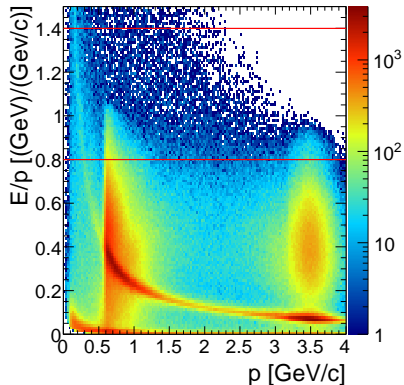
where  $E$  is the energy,  $p$  is the momentum and  $dE/dx_{STT}$  is the energy loss in STT of the reconstructed particle.

# Results of the simulation using deposited energy from EMC and momentum provided by tracking

$$\bar{p}p \rightarrow e^+e^-$$

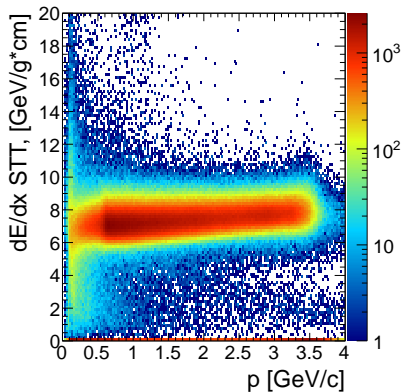


$$\bar{p}p \rightarrow \pi^+\pi^-$$

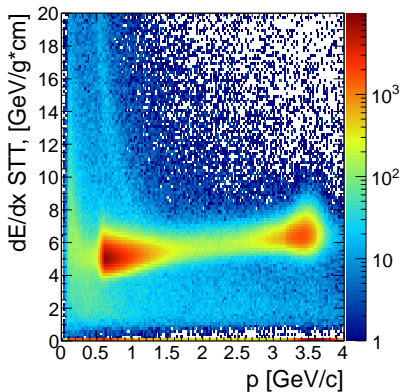


# Energy loss in STT

$$\bar{p}p \rightarrow e^+e^-$$

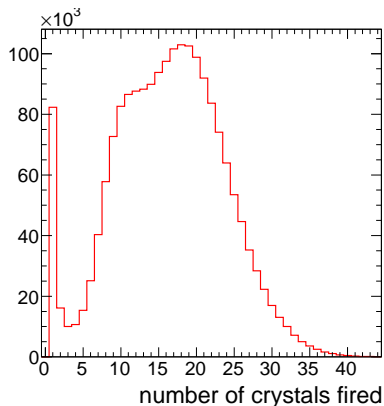


$$\bar{p}p \rightarrow \pi^+\pi^-$$

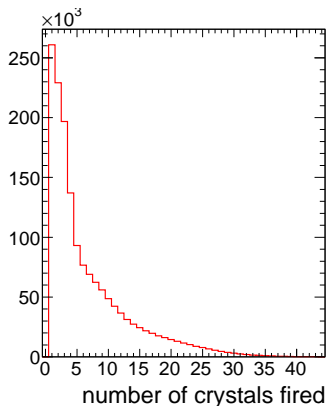


# Number of crystals fired in the EMC

$$\bar{p}p \rightarrow e^+e^-$$



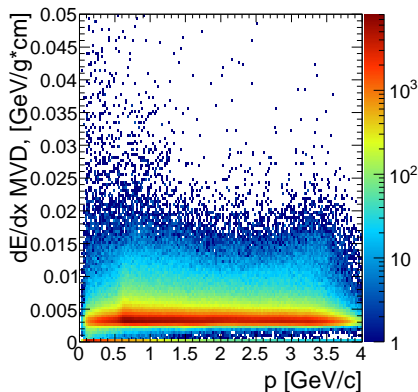
$$\bar{p}p \rightarrow \pi^+\pi^-$$



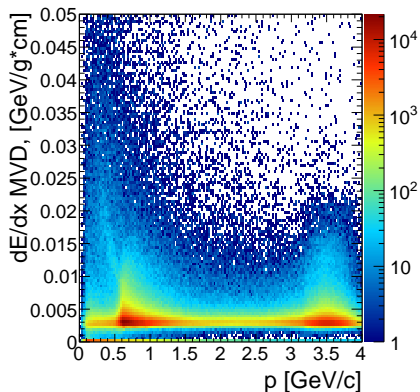


# Energy loss in MVD

$$\bar{p}p \rightarrow e^+e^-$$

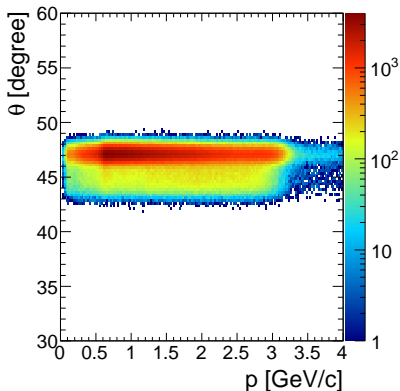


$$\bar{p}p \rightarrow \pi^+\pi^-$$

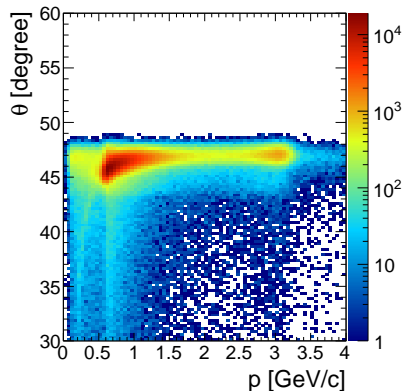


## Cherenkov angle provided by barrel DIRC

$$\bar{p}p \rightarrow e^+e^-$$

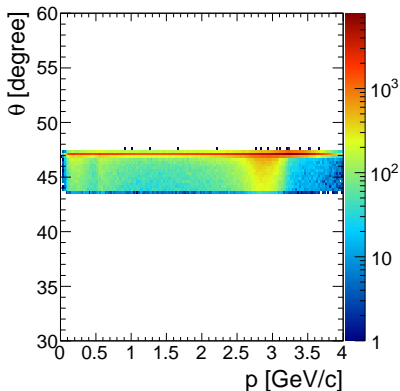


$$\bar{p}p \rightarrow \pi^+\pi^-$$

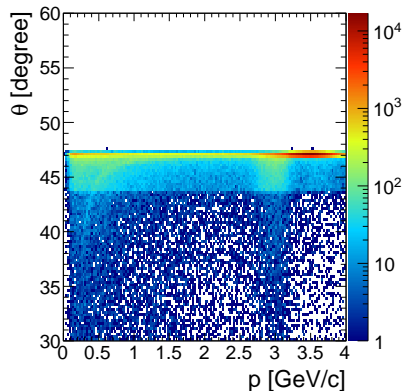


# Cherenkov angle provided by disc DIRC

$$\bar{p}p \rightarrow e^+e^-$$

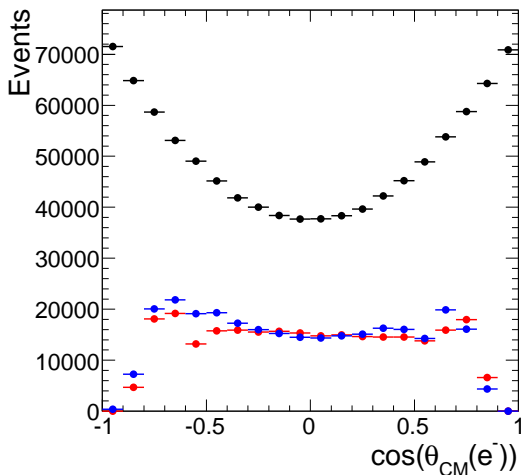


$$\bar{p}p \rightarrow \pi^+\pi^-$$



# $\cos(\theta_{CM})$ of generated and reconstructed particles

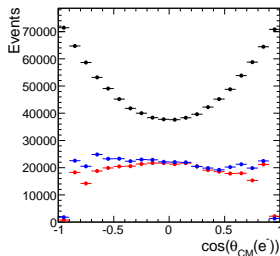
$$\bar{p}p \rightarrow e^+e^-$$



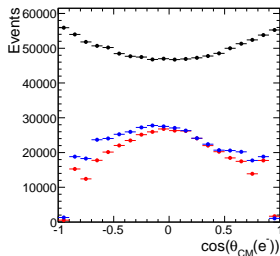
# $\cos(\theta_{CM})$ of generated and reconstructed particles

$$\bar{p}p \rightarrow e^+e^-, p(\bar{p}) = 1.7 \text{ GeV}/c$$

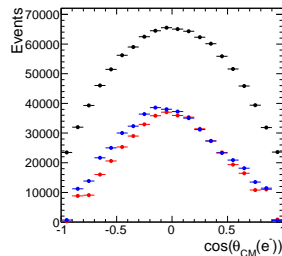
$$G_E/G_M = 0$$



$$G_E/G_M = 1$$



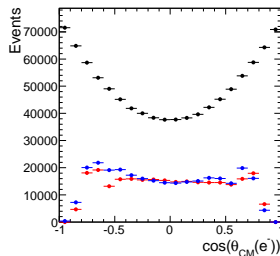
$$G_E/G_M = 3$$



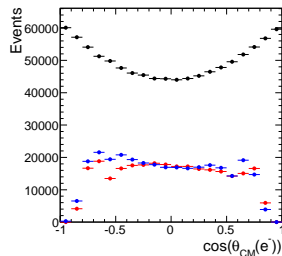
# $\cos(\theta_{CM})$ of generated and reconstructed particles

$$\bar{p}p \rightarrow e^+e^-, p(\bar{p}) = 3.3\text{GeV}/c$$

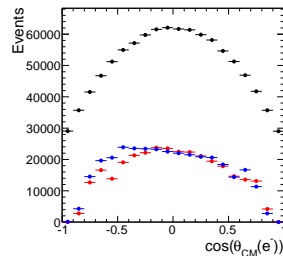
$$G_E/G_M = 0$$



$$G_E/G_M = 1$$



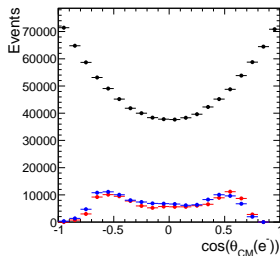
$$G_E/G_M = 3$$



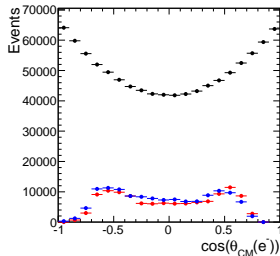
# $\cos(\theta_{CM})$ of generated and reconstructed particles

$$\bar{p}p \rightarrow e^+e^-, p(\bar{p}) = 6.4 \text{ GeV}/c$$

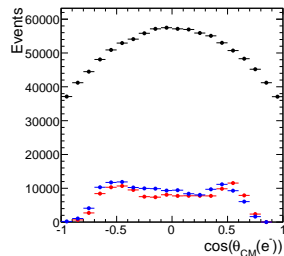
$$G_E/G_M = 0$$



$$G_E/G_M = 1$$



$$G_E/G_M = 3$$



## Number of $e^+e^-$ pairs left after the cuts

$p(\bar{p}) = 1.7 \text{ GeV}/c$	$e^+e^-$	$e^+e^-$	$e^+e^-$
$G_E/G_M$	0	1	3
Monte Carlo	$10^6$	$10^6$	$10^6$
Reconstructed, $E/p$ only [raw]	671789	693238	736018
Reconstructed, $E/p$ only [cal]	679208	699140	736624
Reconstructed, all cuts [raw]	345505	369083	416965
Reconstructed, all cuts [cal]	385188	407571	453615



# Number of $e^+e^-$ and $\pi^+\pi^-$ pairs left after the cuts

$p(\bar{p}) = 3.3\text{GeV}/c$	$e^+e^-$	$e^+e^-$	$e^+e^-$	$\pi^+\pi^-$
$G_E/G_M$	0	1	3	-
Monte Carlo	$10^6$	$10^6$	$10^6$	$1.13 * 10^8$
Reconstructed, $E/p$ only [raw]	612284	627293	669042	39480
Reconstructed, $E/p$ only [cal]	605598	619833	659180	69050
Reconstructed, all cuts [raw]	253404	266618	304387	19
Reconstructed, all cuts [cal]	275577	285850	324193	34

## Number of $e^+e^-$ pairs left after the cuts

$p(\bar{p}) = 6.4 \text{ GeV}/c$	$e^+e^-$	$e^+e^-$	$e^+e^-$
$G_E/G_M$	0	1	3
Monte Carlo	$10^6$	$10^6$	$10^6$
Reconstructed, $E/p$ only [raw]	472986	486727	529612
Reconstructed, $E/p$ only [cal]	461182	474381	515372
Reconstructed, all cuts [raw]	108728	113713	128039
Reconstructed, all cuts [cal]	118298	124433	142283

## Summary and Outlook

### Summary

- Developed set of cuts gives signal efficiency about 11 – 45%
- Achieved background rejection factor about  $10^6$

### Outlook

- Check momentum resolution for  $e^+e^-$  and  $\pi^+\pi^-$